Sentimental Business Cycles

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Delhi, December 2018

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**Sources of fluctuations in the economy**: Much work estimates impact of '**fundamental shocks**' on the economy:

- Technology shocks, investment specific shocks.
- Monetary/fiscal/credit/trade policy shocks.
- Oil price shocks, commodity price shocks.
- TFP uncertainty shocks, policy uncertainty shocks.

**Other shocks**: Large share of the variances of macro aggregates remains unaccounted for:

- News (about fundamentals) shocks.
- Animal spirits / expectational shocks / non-fundamental shocks.

#### Key Challenge: How to estimate causal effects?

- News and sentiments non-observed and hard to translate into observables
- News: Use either information from asset prices or structural models
- Multiple equilibria: Some attempts using structural models.
- Animal spirits:
  - Barsky and Sims (2012),
  - Levchenko and Pandalai-Nayar (2018), Forni et al. (2013)
  - Mian, Sufi and Khouskou (2015), Benhabib and Spiegel (2016), Feve and Guay (2018), Lagerborg (2017)
- None of the latter produce direct causal evidence on impact of sentiments

- 1. Empirics: Estimate the dynamic causal effects of sentiment shocks:
  - Propose IV strategy for estimation.
  - Combine IV with SVAR to estimate dynamic causal effects.
- 2. Theory: Build model and apply it for structural analysis:
  - Incomplete information and Bayesian learning.
  - Heterogeneous Agents New Keynesian (HANK) model.
  - Search and Matching in labor market (SAM).
  - HANK&SAM provides amplification mechanism.
- 3. Quantification: Estimate key structural parameters:
  - Simulation based estimates of structural parameters.

Sentiments: Draw data from University of Michigan Survey of Consumer Confidence:

- Conducted since late 1940's;
- Monthly since 1977 (quarterly since 1952);
- 500 randomly drawn persons are interviewed per month;
- Asked about own situation and about US economy;

Three broad indices:

- Index of Consumer Sentiment (ICS): A mix of:
- Index of Current Economic Conditions (ICC), and
- Index of Consumer Expectations (ICE).

**ICE** is derived from answers to three questions (each given 1-5 score):

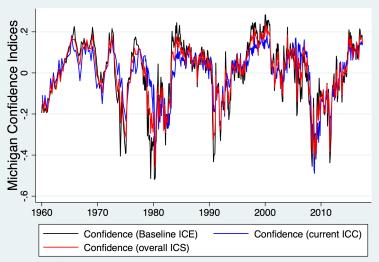
PEXP: "Now looking ahead-do you think that a year from now you (and your family living there) will be better off financially, or worse off, or just about the same as now?"

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  - ICE computed as 100 + "% positive respondents" "% negative respondents" (normalized to 1966 base).

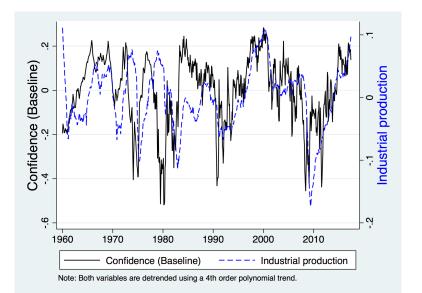


Note: Both variables are detrended using a 4th order polynomial trend.

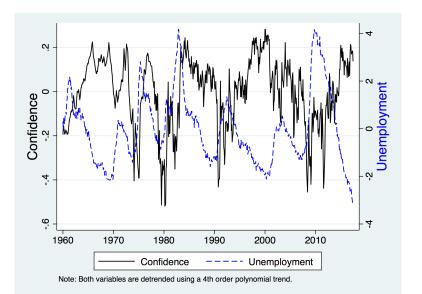
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# ICE ICE B...



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- **Problem**: Predictive power / Granger causality may simply be due to confidence data reflecting news about future fundamentals and not necessarily due to sentiments.

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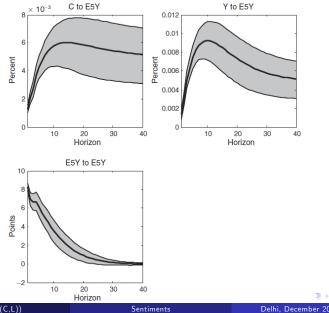
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- Look at response to *innovation* to  $\mathbf{CI}_t$ .
- Do not claim causality



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Barsky and Sims: Construct NK model with imperfect information.

• TFP follows:

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- Barsky-Sims model-equivalent of **CI**<sub>t</sub> is:

$$\mathbf{CI}_{t} = \zeta_{1} \left( \mathbf{a}_{t} - \mathbf{a}_{t-1} - \mathbf{g}_{t|t-1} \right) + \zeta_{2} \left( \mathbf{g}_{t|t} - \rho_{\mathbf{a}} \mathbf{g}_{t|t-1} \right) + \zeta_{2} \varepsilon_{c,t}$$

# Theory: Barsky and Sims

	h = 1	<i>h</i> = 4	h = 8	<i>h</i> = 16	h = 20
News					
E5Y	0.52	0.71	0.75	0.77	0.77
С	0.11	0.25	0.36	0.47	0.49
Y	0.02	0.11	0.31	0.46	0.49
Animal spirits					
E5Y	0.25	0.09	0.06	0.05	0.04
С	0.06	0.01	0.00	0.00	0.00
Y	0.01	0.01	0.00	0.00	0.00
Technology					
E5Y	0.01	0.01	0.00	0.00	0.00
С	0.43	0.48	0.50	0.48	0.47
Y	0.13	0.54	0.57	0.50	0.48
Noise					
E5Y	0.22	0.19	0.19	0.18	0.18

TABLE 3—MODEL VARIANCE DECOMPOSITION

• Confidence innovations are news shocks, animal spirits don't matter.

$$CI = F($$
 fundamentals, news, noise, sentiments)

• Rather than indirectly inferring on impact of sentiments, propose instrument and estimate causal impact.

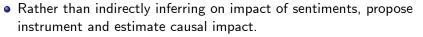
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- The idea is to identify structural shocks using external instruments.
- Can be estimated with 2SLS or 3SLS.

Assume that the dynamics of observables is:

$$\mathbf{X}_{t} = \mathbf{A}(L) \mathbf{X}_{t-1} + \mathbf{u}_{t}$$
  
$$\mathbf{u}_{t} = \mathbf{B} \underbrace{\varepsilon_{t}}_{\text{structural shocks}}$$

• Structural shocks not observed.

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- Order **CI** (wlog) first

### Identification

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- External instruments:  $\exists s_t a \text{ proxy} \text{such that:}$

$$\begin{split} & \mathbb{E}\left(s_t \varepsilon_{\mathsf{CI},t}\right) &= \varphi \neq 0 \qquad \qquad (\text{relevance}) \\ & \mathbb{E}\left(s_t \varepsilon_{\neq \mathsf{CI},t}\right) &= 0 \qquad \qquad (\text{exogeneity}) \end{split}$$

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  - Allows for measurement errors and one can correct for scaling issues

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- Mass shootings are unpredictable over time.
- Each event unlikely to bear much in terms of direct costs.

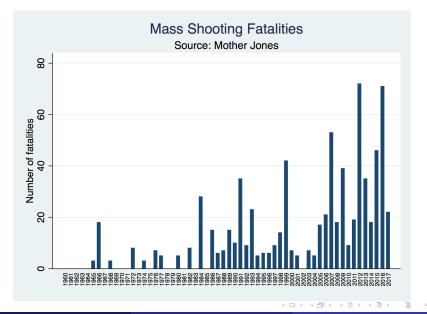
## Mass Shootings with 10 or More Fatalities

Incident	Location	Date	Fat.	Inj.
U. of Texas Tower shooting	Austin, Tx	Aug 1966	18	31
San Ysidro's McD massacre	San Ysidro, Cal	Jul 1984	22	19
U.S. Postal Service shooting	Edmond, Okl	Aug 1986	15	6
GMAC massacre	Jacksonville, Fla	Jun 1990	10	4
Luby's massacre	Killeen, TX	Oct 1991	24	20
Columbine High massacre	Littleton, Col	Apr 1999	13	24
Red Lake massacre	Red Lake, Minn	Mar 2005	10	5
Virginia Tech massacre	Blacksburg, VA	Apr 2007	32	23
Binghampton shootings	Binghampton, NY	Apr 2009	14	4
Fort Hood massacre	Fort Hood, TX	Nov 2009	13	30
Aurora Theatre shooting	Aurora, Col	Jul 2012	12	70
Sandy Hook massacre	Newtown, Conn	Dec 2012	28	2
Wash. Navy Yard shooting	Washington, D.C.	Sep 2013	12	8
San Bernadino mass shooting	San Bernadino, Cal	Dec 2015	14	21
Orlando Nightclub massacre	Orlando, Fla	Jun 2016	49	53

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Sentiments

## Fatalities in Mass Shootings



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Incident	Year	Articles	Words		
Sandy Hook	2012	130	118,354		
Shooting of Gabrielle Clifford	2011	89	91,715		
Fort Hood military base sh.	2009	36	35,097		
Virginia Tech shooting	2007	36	33,473		
Aurora Co. movie theatre sh.	2012	31	23,715		
Red Lake massacre	2005	19	18,519		
Santana High School sh.	2001	17	14,045		
University of Alabama-High sh.	2010	12	12,872		
Northern Illinois Univ. shooting.	2008	12	7,524		
Binghampton, NY shooting	2009	11	10,729		
(source: Schildkraut, Elsass and Meredith, 2017)					

• In addition to electronic news coverage.

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- **Conclusion**: Many (most) Americans would be aware of mass shooting events.
- Mass shootings impact on psychological well-being: PTSD symptoms (Hughes et al, 2011), subjective well-being (Clark and Stancanelli, 2017) - potential for direct impact on confidence.

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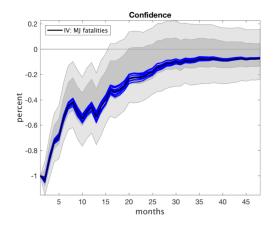
- Detrend all apart from R<sub>t</sub> with 4th order time polynomial.
- Instrument: Detrended fatalities.

r tests for Alternative Connuence multes					
Instrument	Mass fatalities coefficient	IV exclusion F- statistic			
MotherJones Fatalities					
ICE	-1.73***	10.83			
ICS	-1.07***	7.35			
BUS5	-1.40***	3.35			
BUS12	-0.86**	4.35			
PEXP	-0.27**	4.25			

### F tests for Alternative Confidence Indices

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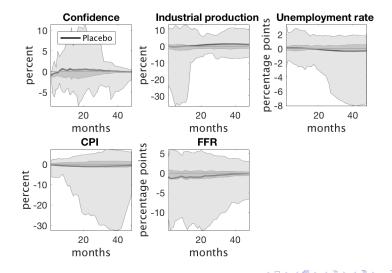


• Significant drop in ICE for approximately 2 years. • Relevance  $\surd$ 

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## Placebo: Random Reshuffling of Shootings

IV with random reshuffling of mass fatalities



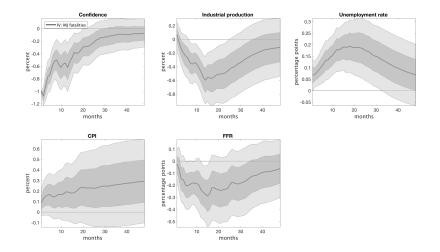
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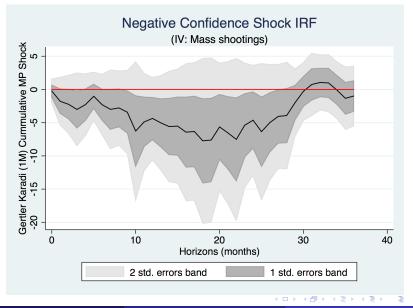
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- Check this with local projection of Gertler-Karadi MP shock on identified sentiment shock.

# Impact on Gertler-Karadi MP Shock



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• Robust to 12 lags instead of 18.



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# More Results

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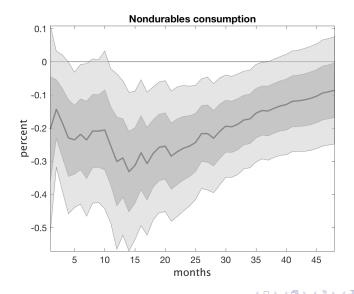
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- Capacity utilization drops.
- Nominal exchange rate depreciates.
- TFP: No impact.
- Relationship to uncertainty: Slight delayed increase.

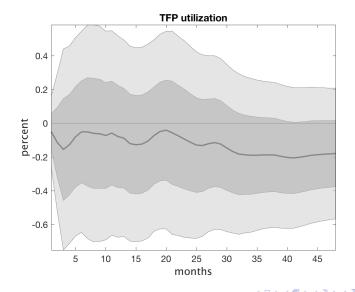


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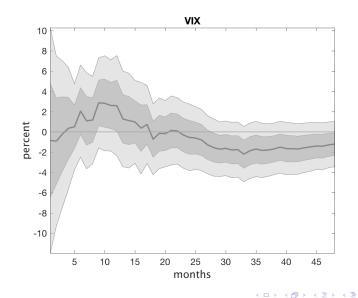
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# Fernald Capacity Util. Adj. TFP



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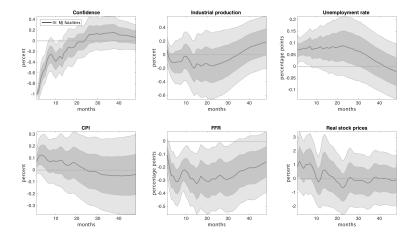
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# Controlling for Stock Prices



### **Contribution to Business Cycles:**

	Variable					
Horizon	СІ	Υ	U	Р	R	Q
1	42.5	0.6	23.2	12.6	8.3	5.8
2	37.5	1.2	22.4	12.6	11.5	4.8
3	36.4	1.4	21.5	11.2	12.8	4.0
6	31.5	1.3	17.5	7.4	17.4	4.3
12	25.9	1.1	12.6	4.3	18.0	2.8
24	19.6	1.6	10.0	1.7	20.2	1.8
48	18.5	1.9	6.6	0.8	21.9	1.2
120	18.0	3.5	6.4	1.1	21.4	1.0

• sizeable contribution!

# Theory

## Households:

- Search for jobs.
- Face uninsurable unemployment risk.
- Save in bonds and equity.

Firms:

- Monopolistically competitive.
- Face Rotemberg (1982) quadratic price adjustment costs.
- Hire labor in frictional matching market.

### Monetary Authority:

• Sets short term nominal interest rate.

### **Fundamental Shocks:**

- Persistent aggregate productivity shocks.
- Transitory aggregate productivity shocks.
- Monetary policy shock.

### Information:

• Imperfect common information: Only sum of productivity shocks observed.

### Non-fundamental shock:

• Noisy signal about persistent productivity shock.

(filtering)  
Noise shock(-) 
$$\rightarrow$$
 Confused with  $\mathbf{A}^P \downarrow$ 

$$\begin{array}{ccc} (\mathsf{filtering}) \\ \mathsf{Noise \ shock}(\text{-}) & \rightarrow & \mathsf{Confused \ with \ } \mathbf{A}^P \downarrow \\ & \downarrow \\ & & \downarrow \\ & & \mathsf{goods \ demand \ } \end{array}$$

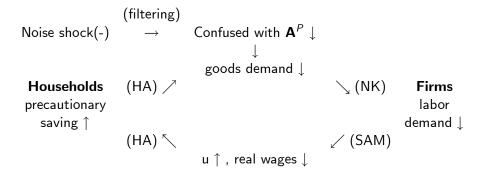
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Image: Image:

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 Confused with  $\mathbf{A}^P \downarrow$   
 $\downarrow$   
goods demand  $\downarrow$   
 $\searrow$  (NK) Firms  
labor  
demand  $\downarrow$ 

3



**Composition**: Continuum of single-member households. **Preferences**:

$$\mathcal{V}_{it} = \max \widehat{\mathbb{E}}_t \sum_{s=t}^{\infty} \beta^{s-t} \left( \frac{\mathbf{c}_{i,s}^{1-\mu} - 1}{1-\mu} - \zeta \mathbf{n}_{i,s} 
ight),$$

#### **Consumption**:

$$\mathbf{c}_{i,s} = \left(\int \left(c_{i,s}^{j}\right)^{1-1/\gamma} dj\right)^{1/(1-1/\gamma)}$$

#### **Employment Status and Earnings:**

 $\mathbf{n}_{i,s} = \begin{cases} 0 \text{ if not employed at date } s, \text{ home production } \vartheta\\ 1 \text{ if employed at date } s, \text{ earns wage } w_{i,s} \end{cases}$ 

# Technology - Production and Hiring

Technology:

$$\mathbf{y}_{j,s} = \exp\left(\mathbf{A}_{s}
ight) \left(\mathbf{z}_{js}\mathbf{k}_{js}
ight)^{ au} \mathbf{n}_{j,s}^{1- au}$$

**Employment Dynamics**:

$$\mathbf{n}_{j,s} = (1-\omega)\mathbf{n}_{j,s-1} + \mathbf{h}_{j,s}$$

Hiring:

$$\mathbf{h}_{j,s} = \mathbf{q}_s \mathbf{v}_{j,s}$$

•  $v_{j,s} \ge 0$ , flow cost  $\kappa > 0$  per unit.

**Capital accumulation:** 

$$\mathbf{k}_{j,s+1} = (1 - \delta\left(\mathbf{z}_{j,s}
ight))\mathbf{k}_{j,s} + \mathbf{i}_{j,s}$$

# Matching technology

Timing: (i) job losses, (ii) hiring, (iii) production.

Matching function:

$$\mathbf{M}_s = \overline{m} \mathbf{u}_s^{lpha} \mathbf{v}_s^{1-lpha}$$
  
 $\mathbf{v}_s = \int_j \mathbf{v}_{j,s} dj$ 

**Matching rates**: Let  $\theta_s = \mathbf{v}_s / \mathbf{u}_s$  denote labor market tightness:

job finding rate : 
$$\eta_s = \frac{M_s}{u_s} = \overline{m}\theta_s^{1-\alpha}$$
  
vacancy filling rate :  $q_s = \frac{M_s}{v_s} = \overline{m}^{1/(1-\alpha)}\eta_s^{-\alpha/(1-\alpha)}$ 

# Prices, Wages, Interest Rates

Price Setting: Monopolistically competition firms, price adjustment costs:

$$\max \widehat{\mathbb{E}}_{t} \sum_{s=t}^{\infty} \Lambda_{j,t,s} \left[ \frac{\mathbf{P}_{j,s}}{\mathbf{P}_{s}} \mathbf{y}_{j,s} - \mathbf{w}_{s} \mathbf{n}_{j,s} - \kappa \mathbf{v}_{j,s} - \mathbf{i}_{j,s} - \frac{\phi}{2} \left( \frac{\mathbf{P}_{j,s} - \mathbf{P}_{j,s-1}}{\mathbf{P}_{j,s-1}} \right)^{2} \mathbf{y}_{s} \right]$$

subject to:

$$\begin{aligned} \mathbf{y}_{j,s} &= \exp\left(\mathbf{A}_{s}\right)\left(\mathbf{z}_{j,s}\mathbf{k}_{j,s}\right)^{\mathsf{T}}\mathbf{n}_{j,s}^{1-\mathsf{T}} \\ \mathbf{n}_{j,s} &= \left(1-\omega\right)\mathbf{n}_{j,s-1}+\mathbf{h}_{j,s} \\ \mathbf{k}_{j,s+1} &= \left(1-\delta\left(\mathbf{z}_{j,s}\right)\right)\mathbf{k}_{j,s}+\mathbf{i}_{j,s} \\ \mathbf{y}_{j,s} &= \left(\frac{\mathbf{P}_{j,s}}{\mathbf{P}_{s}}\right)^{-\gamma}\mathbf{y}_{s} \end{aligned}$$

•  $\Lambda_{j,t,s}$  : firm owners' intertemporal discount factor.

## Wages, Interest Rates, Asset Markets

Wages: Wage function:

$$\mathbf{w}_{s}=\overline{\mathbf{w}}\left(rac{oldsymbol{\eta}_{s}}{\overline{oldsymbol{\eta}}}
ight)^{\chi}$$

- Simplifies marginally by avoiding having wealth dependent wages.
- Correspond to Nash bargaining solution depending on parameters.

Monetary Policy: Interest Rate Rule:

$$\mathbf{R}_{s} = \mathbf{R}_{s-1}^{\delta_{R}} \left( \overline{R} \left( \frac{\Pi_{s}}{\overline{\Pi}} \right)^{\delta_{\pi}} \right)^{1-\delta_{R}} \exp\left( \mathbf{e}_{s}^{R} \right)$$

**Assets and Borrowing Constraints**: Limited participation Bonds:  $b_{i,s}$  - in zero net supply. Equity:  $x_{i,s}$  - positive net supply - only held by small subset of rich entrepreneurs

# Tractable Equilibrium

#### **Euler Equations:**

$$\begin{split} \mathbf{c}_{r,s}^{-\mu} &\geq & \beta \widehat{\mathbb{E}}_{s} \frac{\mathbf{R}_{s}}{\Pi_{s+1}} \mathbf{c}_{r,s+1}^{-\mu}, \\ \mathbf{c}_{u,s}^{-\mu} &\geq & \beta \widehat{\mathbb{E}}_{s} \frac{\mathbf{R}_{s}}{\Pi_{s+1}} \left( \left( 1 - \eta_{s+1} \right) \mathbf{c}_{u,s+1}^{-\mu} + \eta_{s+1} \mathbf{c}_{e,s+1}^{-\mu} \right), \\ \mathbf{c}_{e,s}^{-\mu} &\geq & \beta \widehat{\mathbb{E}}_{s} \frac{\mathbf{R}_{s}}{\Pi_{s+1}} \left( \omega \left( 1 - \eta_{s+1} \right) \mathbf{c}_{u,s+1}^{-\mu} + \left( 1 - \omega \left( 1 - \eta_{s+1} \right) \right) \mathbf{c}_{e,s+1}^{-\mu} \right), \end{split}$$

- Entrepreneurs face no idiosyncratic risk.
- Asset poor unemployed will be in a corner.
- Asset poor employed will be on their Euler equation.
- Asset poor employed price the bonds.

# Shocks and Information

**Technology**: Sum of persistent and transitory component:

$$\begin{array}{lll} \mathbf{A}_{s} & = & \mathbf{A}_{s}^{P} + \varepsilon_{s}^{T}, \ \varepsilon_{s}^{T} \sim \operatorname{nid}\left(\mathbf{0}, \sigma_{T}^{2}\right) \\ \mathbf{A}_{s}^{P} & = & \rho_{A}\mathbf{A}_{s-1}^{P} + \varepsilon_{s}^{P}, \ \varepsilon_{s}^{P} \sim \operatorname{nid}\left(\mathbf{0}, \sigma_{P}^{2}\right) \end{array}$$

Information: Imperfect common information.

•  $\mathbf{A}_s \in I_s$  but  $\mathbf{A}_s^P$ ,  $\varepsilon_s^T \notin I_s$ .

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• Sentiments impact directly and indirectly on monetary policy.

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Endogenous earnings risk: log-linearized Euler equation:

$$-\widehat{c}_{e,t} + \beta \overline{R}\widehat{\mathbb{E}}_{s}\widehat{c}_{e,t+1} = \frac{1}{\mu} \left(\widehat{R}_{t} - \mathbb{E}_{t}\widehat{\Pi}_{t+1} - \beta \overline{R}\Theta^{F}\mathbb{E}_{t}\widehat{\eta}_{t+1}\right)$$

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- procyclical if  $\Theta^F < 0$ : Stabilization
- countercyclical if  $\Theta^{F} > 0$ : Amplification/Propagation
- acyclical if  $\Theta^F = 0$ : No endogenous risk feedback.

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#### • Countercyclical risk: Amplification

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 recession ⇒ lower job finding rate ⇒ higher precautionary savings demand ⇒ demand contracts at the current real interest rate ⇒ real interest rate must decline ⇒ inflation must decline ⇒ marginal costs must decline ⇒ firms post fewer vacancies ⇒ job finding rate declines - diabolical loop.

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#### • Procyclical risk: Stabilization

- recession ⇒ lower real wage ⇒ less precautionary savings demand ⇒ demand expands at the current real interest rate ⇒ stabilization.
- Hence, key to the endogenous risk channel is whether unemployment risk or wage risk matters most.

•  $\Theta_1$ : Calibrated.

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- $\bullet \ \Theta_1: \ Calibrated.$
- $\Theta_2$ : Estimated by a simulation estimator:

$$\widehat{\Theta}_{2} = \arg\min_{\Theta_{2}} \left[ \left( \widehat{\Lambda}_{T}^{d} - \Lambda_{T}^{m}\left(\Theta_{2}|\Theta_{1}\right) \right)^{\prime} \Sigma_{d}^{-1} \left( \widehat{\Lambda}_{T}^{d} - \Lambda_{T}^{m}\left(\Theta_{2}|\Theta_{1}\right) \right) \right]$$

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•  $\widehat{\Lambda}^d_T$  : Moments that are matched:

$$\widehat{\Lambda}_{T}^{d} = [\mathbf{F} - \mathbf{stat}, \sigma_{\mathbf{Solow}}^{2}, \mathbf{IRF}_{nfore}]$$
  
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•  $\Lambda_T^m(\Theta_2|\Theta_1)$ : Model equivalents of  $\widehat{\Lambda}_T^d$  obtained by simulation.

Simulate model to generate:

$$\mathbf{X}_{t}^{theory} = \left(egin{array}{cc} CI_t & (\log \ {
m consumer \ confidence}) \ Y_t & (\log \ {
m industrial \ production}) \ U_t & ({
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ight)$$

**2** Add measurement error to  $\widetilde{\mathbf{X}}_{t}^{theory} = \mathbf{X}_{t}^{theory} + m_{1,t}$ , detrend.

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Add measurement error to X̃<sup>theory</sup><sub>t</sub> = X<sup>theory</sup><sub>t</sub> + m<sub>1,t</sub>, detrend.
 Use ε<sup>S</sup><sub>t</sub> + m<sub>2,t</sub> as proxy for sentiment shock.

Simulate model to generate:

$$\mathbf{X}_{t}^{\textit{theory}} = \left(egin{array}{cc} CI_t & (\log ext{ consumer confidence})\ Y_t & (\log ext{ industrial production})\ U_t & ( ext{unemployment rate})\ P_t & (\log ext{CPI})\ R_t & ( ext{Federal funds rate}) \end{array}
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- Repeat N times and average:

$$\Lambda_T^m\left(\Theta_2|\Theta_1\right) = \frac{1}{N}\sum_{i=1}^N \Lambda_T^m\left(\Theta_2|\Theta_1\right)_i$$

# Calibrated parameters (monthly)

Parameter	Meaning	Value
ū	st.st. unemployment rate	6 percent
$\overline{\eta}$	st.st. job finding rate	34 percent
$(\kappa / \overline{\mathbf{q}}) / (3 \overline{\mathbf{w}})$	st.st. hiring cost	4.5 percent
$\overline{\mathbf{R}}/\overline{\Pi}$	st.st. gross real rate	$1.04^{1/12}$
$\overline{\Pi}$	st.st. gross inflation rate	1
$\delta_R$	interest rate smoothing	0.25
$\sigma_m$	st. dev., monetary pol. shock	0.1 percent
$\gamma$	elasticity of substitution	8
μ	CRRA parameter	2
α	matching function parameter	0.5
τ	output elasticity to capital	0.35
$\xi_{\delta,z}$	elast. of depr. rate to cap.ut.	1
δ	depreciation rate (annually)	7.1 percnet
$(c_e - c_u) / c_e$	st.st. cons. drop upon unempl.	12 percent

æ

Parameter	Meaning	Estimate
$\phi$	price adj. cost	282.9
χ	real wage elasticity	0.016
$ ho_A$	persistence of TFP shocks	0.987
$\delta_{\Pi}$	interest rate resp. to infl.	2.09
ψ	impact of noise on mon.pol.	0.145
β	implied disc. factor (annually)	0.892
$\Theta^F$	implied risk wedge	0.0026>0
ξ	average price contract length	6.62 months

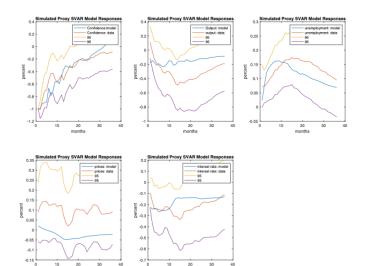
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Parameter	Meaning	Estimate
$\sigma_T$	std., transitory TFP shock	0.50 percent
$\sigma_P$	std., innov. to perst. TFP	0.05 percent
$\sigma_{S}$	std., sentiment shock	0.19 percent
$\rho_{CI}$	confidence persistence	0.960
$\vartheta_1$	confidence parameter	1.019
$\vartheta_2$	confidence parameter	7.968
$\sigma_{CI}$	measurement error, confidence	0.15 percent
$\sigma_{m_2}$	measurement error, proxy	1.6 percent

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### Matched VAR IRFs - Preliminary

months

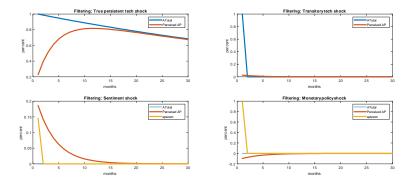


LaPaRa (U(C,L))

months

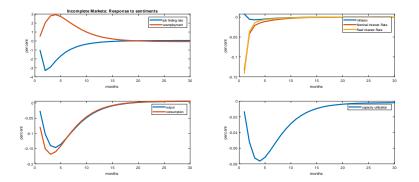
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# True Model IRFS - Preliminary



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# True Model IRFS

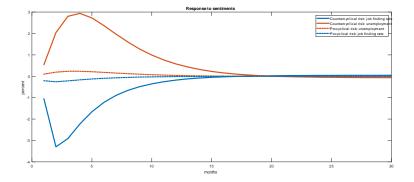


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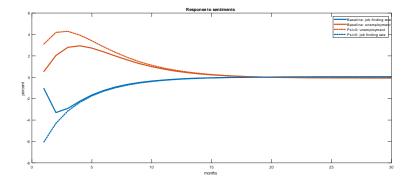
Image: A matrix

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# The Role of Countercyclical Risk - Preliminary



# The Role of Monetary Policy - Preliminary



**Contribution to Business Cycles**: Forecast error variance decomposition Variable Horizon Υ V П С U η 1 1.5 0.0 0.3 0.3 0.3 0.6 3 3.4 2.8 1.2 4.1 0.1 1.7 6 6.0 6.7 0.4 3.7 6.2 2.3 12 9.7 1.5 8.1 6.4 8.9 5.4 24 5.0 1.3 5.13.1 4.2 5.7 No Monetary Response ( $\psi = 0$ ) 1 13.3 0.2 9.3 9.3 9.3 2.13 18.5 0.9 14.0 17.6 16.5 4.5 6 22.1 2.0 18.1 18.5 21.6 7.0 12 22.3 4.0 21.9 13.5 20.6 12.2 24 9.8 2.8 11.1 6.3 8.8 11.3

LaPaRa (U(C,L))

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- Find countercyclical risk wedge to be important